

Remember that...

Distance from **vertex** to **focus** = Distance from **vertex** to **directrix**

We will call this distance ***c***.

In all of the following equations...

$$a = \frac{1}{4c}$$

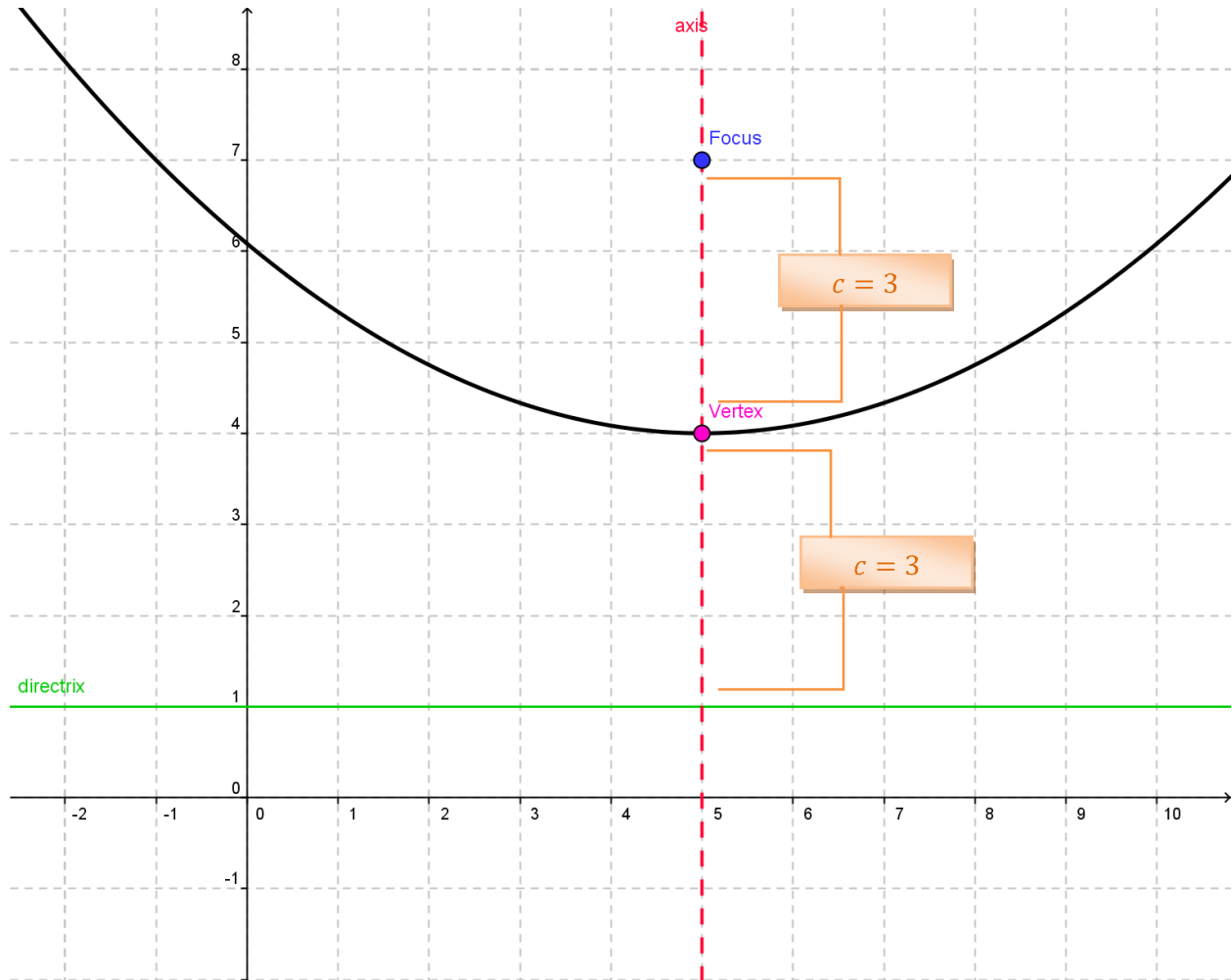
Vertex: ***(h, k)***
[*x* always goes with *h*; *y* always goes with *k*]

Let's look at some parabola equations...

UP parabola equation

$$y - k = a(x - h)^2$$

Since this is an UP parabola equation, you are guaranteed that **a is positive**.



The **axis of symmetry** is the vertical line **$x = h$** . In this example, it is **$x = 5$** .

In this example, **$c = 3$** . We know that **$a = \frac{1}{4c}$** and that **a is positive**, so **$a = \frac{1}{12}$** .

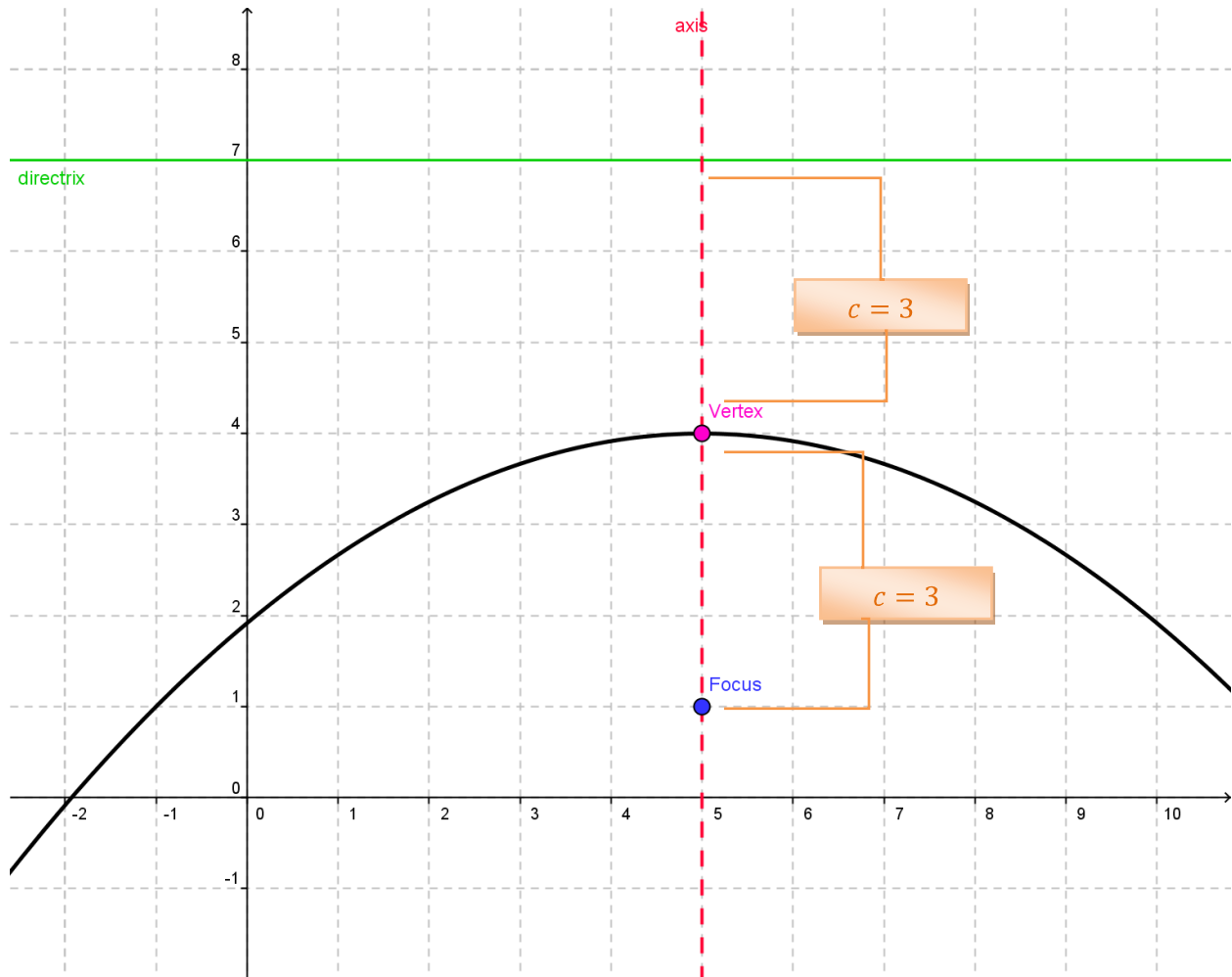
Our equation in this example is

$$y - 4 = \frac{1}{12}(x - 5)^2$$

DOWN parabola equation

$$y - k = a(x - h)^2$$

Since this is a DOWN parabola equation, you are guaranteed that **a is negative**.



The **axis of symmetry** is the vertical line **$x = h$** . In this example, it is **$x = 5$** .

In this example, **$c = 3$** . We know that **$a = \frac{1}{4c}$** and that **a is negative**, so **$a = -\frac{1}{12}$** .

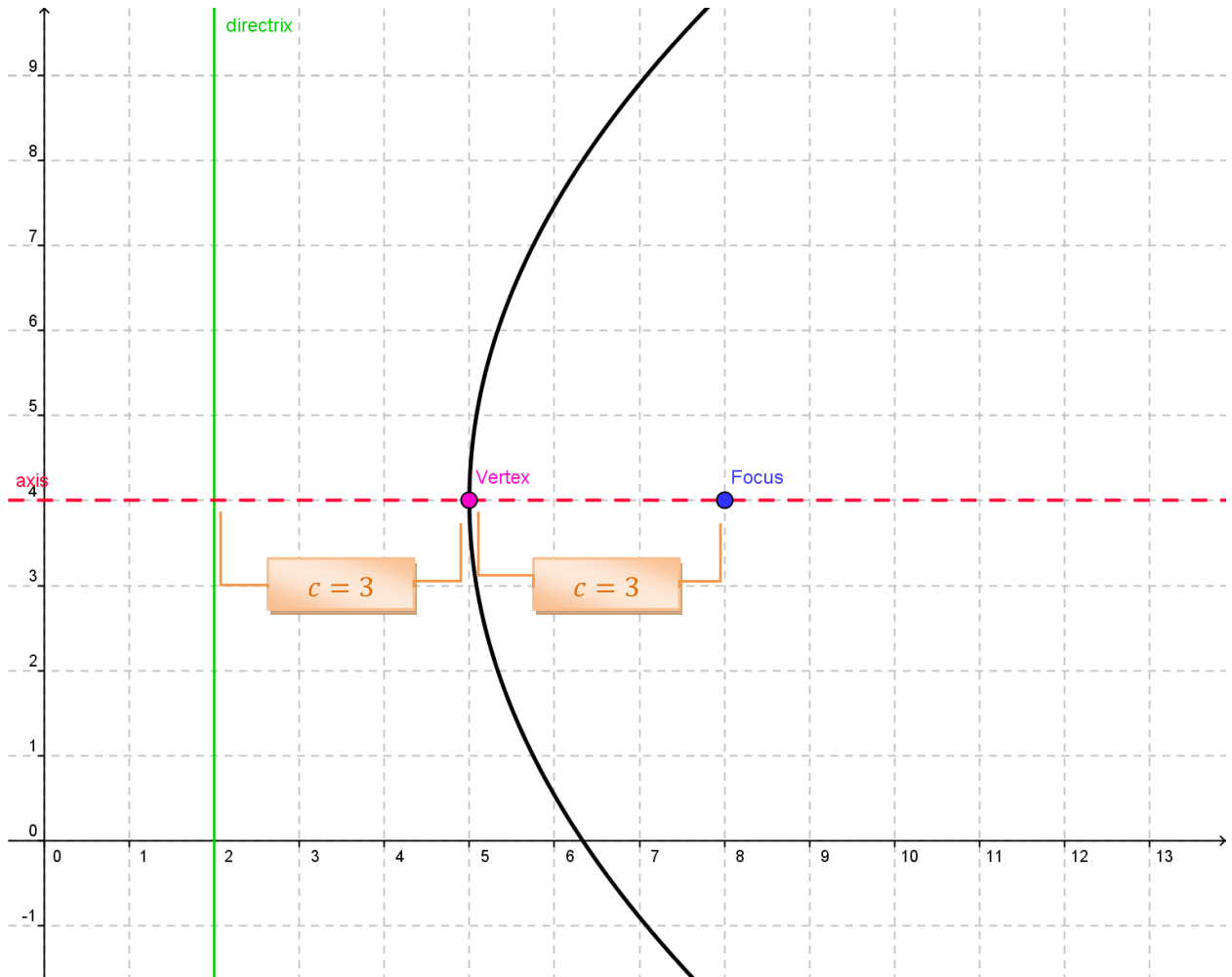
Our equation in this example is

$$y - 4 = -\frac{1}{12}(x - 5)^2$$

RIGHT parabola equation

$$x - h = a(y - k)^2$$

Since this is an RIGHT parabola equation, you are guaranteed that **a is positive**.



The **axis of symmetry** is the horizontal line $y = k$. In this example, it is $y = 4$.

In this example, $c = 3$. We know that $a = \frac{1}{4c}$ and that a is positive, so $a = \frac{1}{12}$.

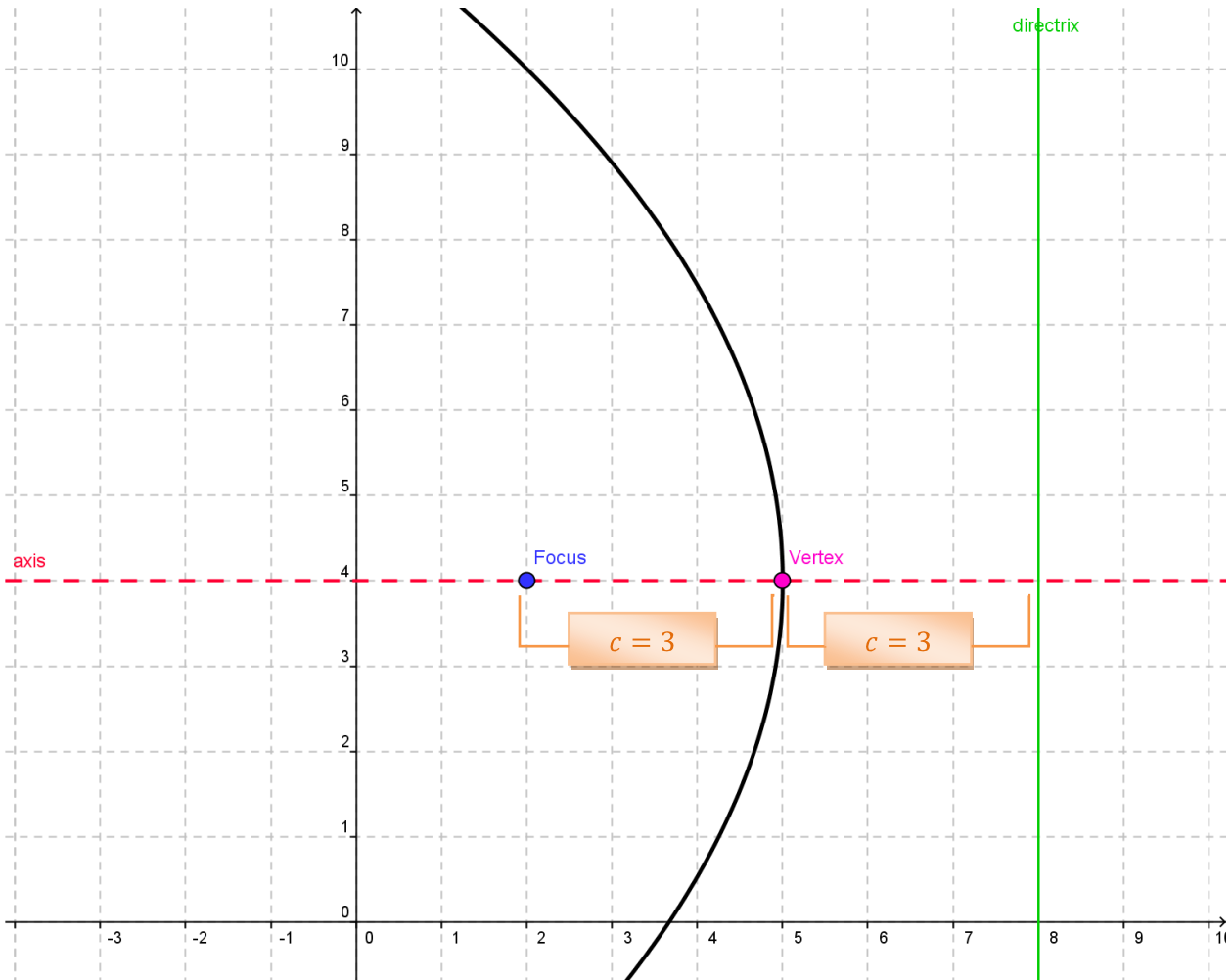
Our equation in this example is

$$x - 5 = \frac{1}{12}(y - 4)^2$$

LEFT parabola equation

$$x - h = a(y - k)^2$$

Since this is an LEFT parabola equation, you are guaranteed that **a is negative**.



The **axis of symmetry** is the horizontal line $y = k$. In this example, it is $y = 4$.

In this example, $c = 3$. We know that $a = \frac{1}{4c}$ and that a is negative, so $a = -\frac{1}{12}$.

Our equation in this example is

$$x - 5 = -\frac{1}{12}(y - 4)^2$$