


# Parallelograms – Part 2

Proving quadrilaterals are  
parallelograms

Geometry

Chapter 6

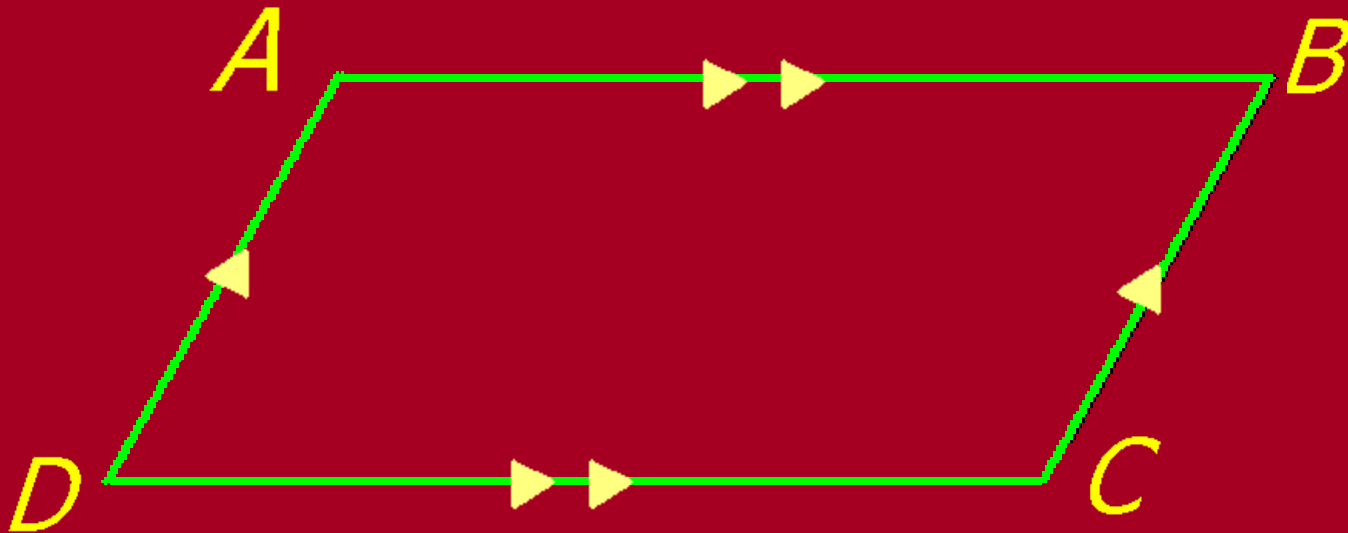
A BowerPoint Presentation

*In a quadrilateral, if both pairs of opp sides are  $\parallel$ , then *

(A repeat of the definition of parallelograms)

If  $\overline{AB} \parallel \overline{CD}$  and  $\overline{AC} \parallel \overline{BD}$

Then  $ABCD$  is a 



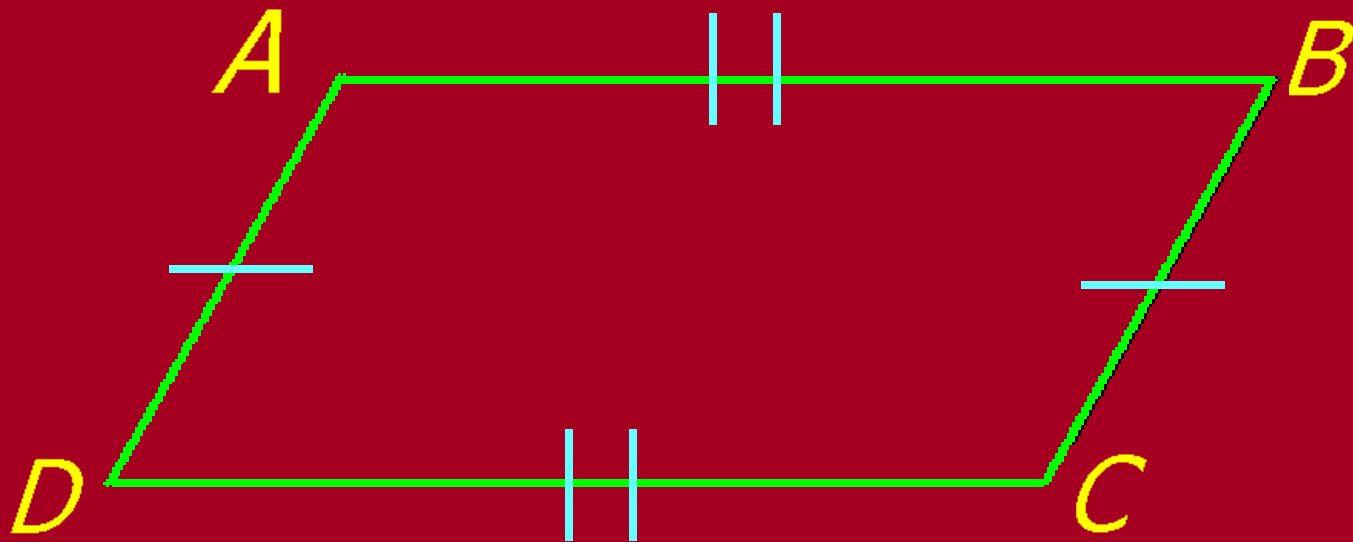
*In a quadrilateral, if both pairs of opp sides are  $\cong$ , then*




If  $\overline{AB} \cong \overline{CD}$  and  $\overline{AD} \cong \overline{BC}$



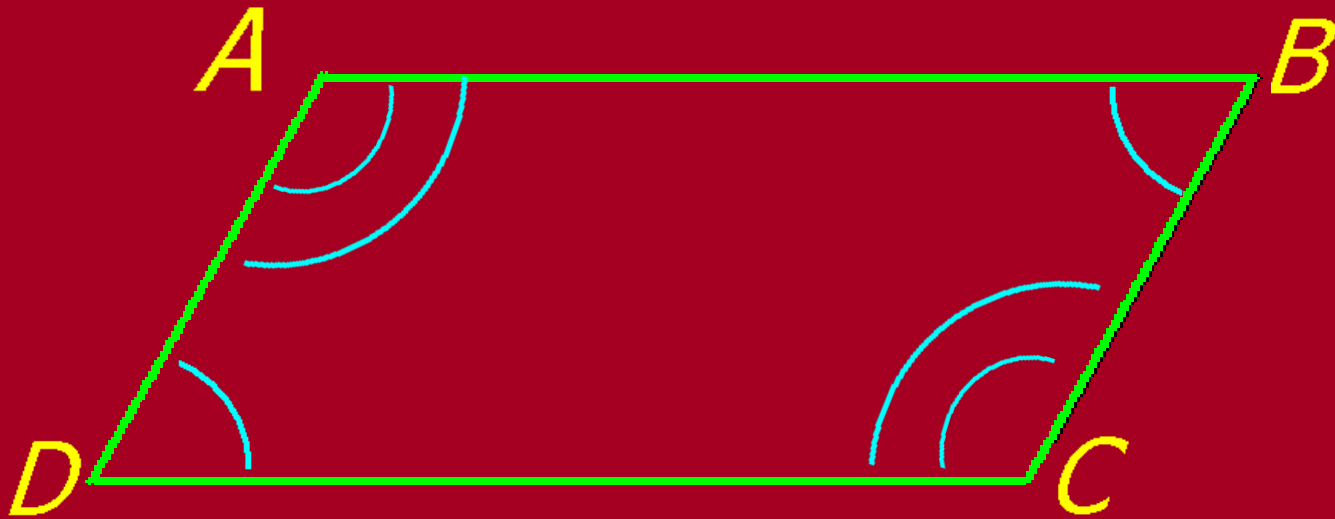
Then  $ABCD$  is a




In a quadrilateral, if both pairs of opp  $\angle$ s are  $\cong$ , then 

If  $\angle A \cong \angle C$  and  $\angle B \cong \angle D$

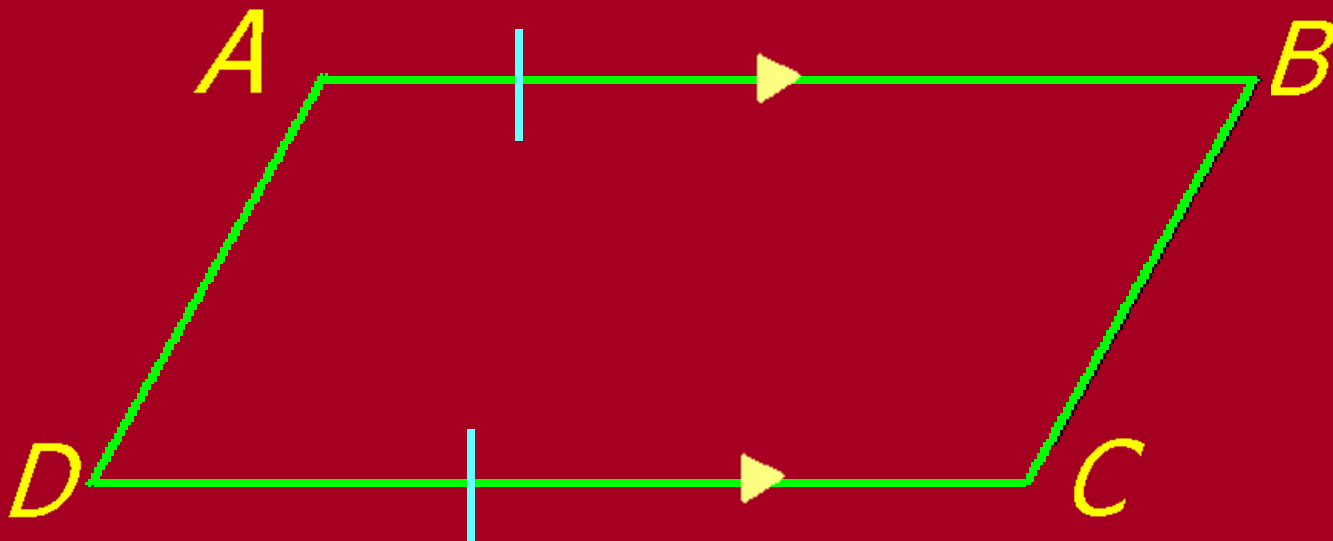
Then  $ABCD$  is a 




In a quadrilateral, if one pair of opp sides are both  $\parallel$  &  $\cong$ , then 

If  $\overline{AB} \parallel \overline{DC}$  and  $\overline{AB} \cong \overline{DC}$

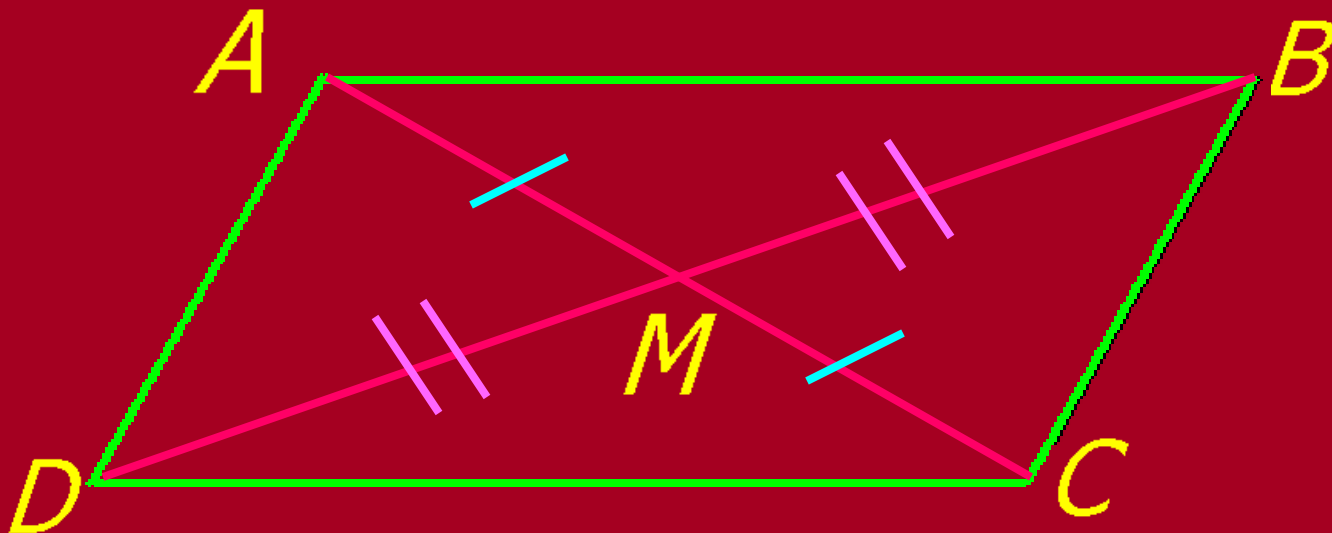
Then  $ABCD$  is a 




*In a quadrilateral, if both diagonals bisect each other, then* 

If  $\overline{AM} \cong \overline{MC}$  and  $\overline{BM} \cong \overline{MD}$

Then  $ABCD$  is a 



*In a quadrilateral, if one  $\angle$  is supp  
to both of its consecutive  $\angle$  s,  
then *

$$\text{If } m\angle A + m\angle B = 180 \text{ and}$$
$$m\angle A + m\angle D = 180$$



Then  $ABCD$  is a 

